# Analysis of paracetamol, pseudoephedrine and cetirizine in Allercet Cold ${ }^{\circledR}$ capsules using spectrophotometric techniques 

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#### Abstract

Paracetamol (PAR), Pseudoephedrine hydrochloride (PSE) and cetirizine dihydrochloride (CET) is a ternary mixture that composes tablets which are popular for the relief of flu in Egypt. The spectra of the drugs were overlapped and no spectrophotometric methods were reported to resolve the mixture. This research proposes four spectrophotometric methods that are efficient and require water only as a solvent. The first method was ratio subtraction-ratio difference method (RSDM) where PAR was initially removed from the mixture by ratio subtraction and determined at 292.4 nm , then PSE and CET were quantified by subtracting the amplitudes of their ratio spectra between 257.0 and 230.0 nm for PSE and between 228.0 and 257.0 nm for CET. The second method was derivative ratio spectra-zero crossing (DRZC) which was based on determining both PSE and CET from the zero-crossing points of the first and third derivative of their ratio spectra at 252.0 and 237.0 nm , respectively while PAR was determined using its first derivative at 292.4 nm . Moreover, the ternary mixture was resolved using successive derivative ratio (SDR) method where PAR, PSE and CET were determined at $310.2,257.0$ and 242.4 nm , respectively. The fourth proposed method was pure component contribution algorithm (PCCA) which was applied to quantify the drugs at their $\lambda_{\text {max. }}$. Recovery percentages for RSDM were $100.7 \pm 1.890,99.69 \pm 0.8400$ and $99.38 \pm 1.550 ;$ DRZC were $101.8 \pm 0.8600,99.04 \pm 1.200$ and $98.95 \pm 1.300 ;$ SDR were $101.9 \pm 1.060,99.59 \pm 1.010$ and $100.2 \pm 0.6300 ;$ PCCA were $101.6 \pm 1.240,99.10 \pm 0.5400$ and $100.4 \pm 1.800$ for PAR, PSE and BRM; respectively. The suggested methods were effectively applied to analyze laboratory prepared mixtures and their combined dosage form.


Keywords: Paracetamol, Pseudoephedrine, Cetirizine, Ratio subtraction-ratio difference, Successive derivative ratio, Derivative ratio spectra-zero crossing, Pure component contribution algorithm

## Introduction

The drugs under study in this research include paracetamol (PAR), pseudoephedrine HCl (PSE) and cetirizine dihydrochloride (CET). PAR ( $N$-(4-hydroxyphenyl) acetamide) [1] is an analgesic and an antipyretic, used to treat many conditions such as muscle ache, tooth ache and arthritis [2]. PSE

[^0]((1S,2S)-2-(methylamino)-1-phenylpropan-1-ol hydrochloride) [1], is a nasal decongestant which acts by reducing inflamed membranes of mucosa, also it is used for bronchodilation [2]. CET ((RS)-2-[2-[4-[(4-chlorophenyl) phenylmethyl]piperazin-1-yl]ethoxy] acetic acid dihydrochloride) [1], is an antihistamine known for its stabilizing effect on mast-cells thus used in the treatment of allergies [2]. The ternary mixture is present in the Egyptian market as Allercet Cold ${ }^{\circledR}$ and it is famous for its effectiveness in relieving symptoms associated with common cold, sinusitis and flu. The chemical structures of the three drugs are illustrated in Fig. 1.




HCl


Fig. 1 Chemical structure of a paracetamol, $\mathbf{b}$ pseudoephedrine $\mathrm{HCl}, \mathbf{c}$ cetirizine 2 HCl

Nowadays, effective cold treatments are on high demand especially for people with busy schedules and need to be alert and focused as fast as they can. This was successfully achieved by pharmaceutical companies by including more components in their formulations to treat more symptoms in one pill or capsule. Nevertheless, quality control lab analysts faced many challenges regarding the analysis of the more complex dosage forms, hence the development of novel analytical techniques was necessary. It was important to consider methods which were simple, rapid and low in cost without affecting accuracy and reliability of the results. The literature revealed many methods for the determination of each drug as a single component or in mixtures [3-9]. However, only two HPLC-UV $[10,11]$ methods for the determination of this combination were available. That being said, chromatographic methods consume time and solvents contributing in the high cost of method development and optimization which is disadvantageous for quality control laboratories. In addition, highly trained staff are required to operate the apparatus. On the other hand, mathematical spectrophotometric methods are considered faster and cheaper. Also, spectrophotometers are available in most labs and easier to operate therefore offering substitute resolutions for the complex mixtures of analytes without the need of prior separation or extraction [12]. The absence of any analytical approaches using spectrophotometry for the quantitation of this mixture has motivated us to develop spectrophotometric methods with good accuracy and precision for the analysis of the proposed combination. The methods utilized simple manipulation steps and did not require any sophisticated instruments using distilled water as a solvent which causes no environmental harm and safe for analysts in the field.

## Theoretical background

The methods applied for the analysis of the ternary mixture were ratio subtraction [13]-ratio difference [14] (RSDM), derivative ratio spectra-zero crossing [15] (DRZC), successive derivative ratio [16] (SDR) and pure component contribution algorithm [17] (PCCA). These methods are well developed and were successfully
adopted for resolution of overlapped spectra of ternary mixtures.

## Experimental

## Apparatus and software

Shimadzu-UV 1800 double beam UV-Visible spectrophotometer (Japan) and quartz cells ( 1 cm ) at a range of $200.0-400.0 \mathrm{~nm}$ was used for measuring the absorbance. Spectral manipulations were carried out by Shimadzu UV-Probe 2.32 system software.

## Chemicals and solvents

## Pure samples

PAR, PSE and CET were kindly provided by GlaxoSmithKline (Cairo, Egypt). The purity of the samples was $99.40 \pm 0.7780,100.1 \pm 0.4270$ and $100.0 \pm 0.2340$, respectively, according to the reported method of analysis [10].

## Market sample

Allercet Cold ${ }^{\circledR}$ capsules were bought from a local pharmacy and were labeled to consist of 400 mg of PAR, 30 mg PSE and 10 mg CET per one capsule (Batch Number: B10518), manufactured by Global Napi pharmaceuticals (6th of October city, Egypt).

## Solvents

Double distilled water.

## Standard solutions

Stock solutions with concentrations of $1000 \mu \mathrm{~g} \mathrm{~mL}$ for PAR and CET and $4000 \mu \mathrm{~g} \mathrm{~mL}$-1 for PSE using distilled water as a solvent were prepared. Next, fresh working solutions with concentrations of 100.0, 2000 and $100.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ for PAR, PSE and CET, respectively, were made by diluting the corresponding stock solutions with distilled water.

## Procedures

Linearity
Accurately measured volumes of PAR ( $0.2500-2.500 \mathrm{~mL}$ ), PSE ( $0.5000-6.000 \mathrm{~mL}$ ) and CET ( $0.2000-4.500 \mathrm{~mL}$ ) were


Fig. 2 a Zero-order, $\mathbf{b}$ first derivative absorption spectra of $20.00,600.0$ and $20.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PAR ( $\left.\cdots \cdots\right)$, PSE (----) and CET (-), respectively
accurately taken from their working standard solutions into series of volumetric flasks ( 10 mL ), the volumes were completed with water to prepare final concentrations of $2.500-25.00 \mu \mathrm{~g} \mathrm{~mL}$-1 for PAR, $100.0-1200 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ for PSE and $2.000-45.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ for CET. The prepared solutions were scanned from 200.0 to 400.0 nm and their absorption spectra were stored in the computer and were used in the manipulation steps of RDSM, DRZC and SDR.

Ratio subtraction-ratio difference method (RSDM) For $P A R$ The first derivative $\left({ }^{1} \mathrm{D}\right)$ spectrum of PAR is extended over the ${ }^{1} \mathrm{D}$ spectra of PSE and CET, so it can be determined at wavelength 292.4 nm without the interference of the other two components as demonstrated in Fig. 2b. A calibration graph was constructed relating the absorbance of ${ }^{1} \mathrm{D}$ of PAR at 292.4 nm against the corresponding concentrations and the regression equations were then computed.
For PSE and CET The stored zero order spectra $\left({ }^{0} \mathrm{D}\right)$ of PSE were divided by the spectrum of $25.00 \mu \mathrm{~g} \mathrm{~mL}$ - CET, while ( ${ }^{0} \mathrm{D}$ ) spectra of CET were divided by the spectrum of $600.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PSE. Calibration graphs for both PSE and CET were constructed by plotting the amplitude difference of the obtained ratio spectra between 257.0 and 230.0 nm for PSE and 228.0 and 257.0 nm for CET versus their corresponding concentrations and the regression equations were then computed.

Derivative ratio spectra-zero crossing spectrophotometric method (DRZC) For PAR As under "Ratio subtractionratio difference method (RSDM)".
For PSE The ${ }^{0} \mathrm{D}$ spectra were divided by a standard spectrum of PAR ( $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ) and the ${ }^{1} \mathrm{D}$ of the ratio spectra was obtained. PSE was determined from the ${ }^{1} \mathrm{D}$ amplitudes at 252.0 nm which represented the zero-crossing point for CET. A calibration graph was constructed between the absorbance of ${ }^{1} \mathrm{D}$ of PSE at 252.0 nm versus the corresponding concentrations and the regression equation was then computed.
For CET The spectra were divided by a standard spectrum of PAR ( $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ) and the third derivative $\left({ }^{3} \mathrm{D}\right)$ of the ratio spectra was obtained. The concentration of CET was determined from ${ }^{3}$ D amplitudes at 237.0 nm which represented the zero-crossing point of PSE. A calibration graph was constructed between the absorbance of ${ }^{3} \mathrm{D}$ of CET at 237.0 nm versus the corresponding concentrations and the regression equation was then computed.

Successive derivative ratio method (SDR) For PAR The spectra were divided by the spectrum of $25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ CET. The ${ }^{1} \mathrm{D}$ was computed for the ratio spectra and then a division process was carried out using the ${ }^{1} \mathrm{D}$ spectrum of $600.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PSE/25.00 $\mu \mathrm{g} \mathrm{mL}{ }^{-1}$ CET as a divisor, and the second ratio spectra were obtained. Afterwards, the ${ }^{1} \mathrm{D}$ was obtained allowing the concentration of PAR to
be determined at the maximum amplitude at 310.2 nm . A calibration graph was created by plotting the amplitudes from the resulting curves at 310.2 nm against the corresponding concentrations and the regression equation parameters were then computed.
For PSE The spectra were divided by the spectrum of $25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ CET and ${ }^{1} \mathrm{D}$ was computed for these ratio spectra. The obtained derivative of ratio spectra were then divided by ${ }^{1} \mathrm{D}$ spectrum of $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PAR/25.00 $\mu \mathrm{g} \mathrm{mL}{ }^{-1}$ CET, where the second ratio spectra were obtained, and then the ${ }^{1} \mathrm{D}$ was calculated. PSE was quantified at the minimum amplitude at 257.0 nm . A calibration graph was created by plotting the amplitudes from the resulting curves at 257.0 nm against the corresponding concentrations and the regression equation parameters were obtained.
For CET The spectra were divided by the spectrum of $600.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PSE and the ${ }^{1} \mathrm{D}$ was computed for these ratio spectra. Next, the obtained derivative of ratio spectra were divided by ${ }^{1} \mathrm{D}$ spectrum of $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PAR/ $600.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PSE, and the second ratio spectra were obtained. The ${ }^{1} \mathrm{D}$ was calculated where the concentration of CET was determined at the minimum amplitude at 242.4 nm . A calibration graph was created by plotting the amplitudes from the resulting curves at 242.4 nm against the corresponding concentrations and the regression equation parameters were then computed.

Pure component contribution algorithm (PCCA) Accurately measured volumes of PAR $(0.2500-2.500 \mathrm{~mL})$, PSE $(0.5000-5.000 \mathrm{~mL})$ and CET ( $0.5000-5.000 \mathrm{~mL}$ ) were separately taken from their working standard solutions into a series of volumetric flasks ( 10 mL ), the volumes were completed with water producing solutions with final concentration ranges of $2.500-25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ for PAR, $100.0-1000 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ for PSE and $5.000-50.00 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ for CET. The prepared solutions were scanned from 200.0 to 400.0 nm and the values of absorbance at $\lambda_{\max }$ were recorded. These absorbance values were used to create different plots for the three drugs against their corresponding concentrations and the regression equation parameters were then computed.

## Analysis of laboratory-prepared mixtures

Different volumes of PAR, PSE and CET were accurately taken from their corresponding working standard solutions and placed in volumetric flasks of 10 mL capacity, finally, the volumes were completed using water. The prepared mixtures consisted of varying ratios of the three drugs. The laboratory prepared mixtures were scanned in the range from 200.0 to 400.0 nm and their absorption spectra were stored in the computer.

RSDM method PAR was determined directly from the ${ }^{1} \mathrm{D}$ at $292.4 \mathrm{~nm}(\Delta \lambda=8.0$, scaling factor 100$)$, where PSE and CET have no contribution and concentrations of PAR were calculated from the obtained regression equation. The zero order absorption spectra of the laboratory prepared mixtures were divided by a carefully chosen concentration of PAR' ( $20.00 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ ) as a divisor. Thus, ratio spectra were produced represented by (PSE + CET)/ PAR' + constant, the values of these constants PAR/PAR' in the plateau region ( $278.0-297.0 \mathrm{~nm}$ ) were then subtracted, this is followed by multiplying the obtained ratio spectra by the divisor PAR' ( $20.00 ~ \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ). Finally, the original spectra of PSE + CET were obtained for their determination by ratio difference.
In order to determine PSE and CET by ratio difference method, the same steps as under linearity "Ratio subtrac-tion-ratio difference method (RSDM)" were performed and their concentrations obtained from the computed regression equations.

DRZC method PAR was determined as under "RSDM method". As for PSE and CET, the zero order absorption spectra of the laboratory prepared mixtures were divided by $20.00 \mu \mathrm{~g} \mathrm{~m}^{-1}$ PAR. This was then followed by calculating the first and third derivatives for determining PSE and CET at 252.0 and 237.0 nm , respectively.

SDR method Procedures for determining each drug in laboratory prepared mixture were applied as described under "Successive derivative ratio method (SDR)".

PCCA method For PAR The spectra of the mixtures were divided using the normalized spectrum of $45.00 \mu \mathrm{~g} \mathrm{~mL}$ CET ( $\alpha$ CET) as a divisor, then mean centering of the obtained ratio spectra was carried out and divided by MC ( $\alpha$ PSE $/ \alpha C E T$ ), the spectrum of $400.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PSE was used. The produced curves were mean centered and divided by MC $[\mathrm{MC}(\alpha \mathrm{PAR} / \alpha \mathrm{CET}) / \mathrm{MC}(\alpha \mathrm{PSE} / \alpha \mathrm{CET})]$. Constants representing the concentration of PAR in the mixtures were obtained and multiplied by the standard normalized spectrum of PAR and the absorbance at 245.0 nm were recorded in the obtained spectra.

For PSE The spectra mixtures were divided by the normalized spectrum of $45.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ CET ( $\alpha$ CET), and the obtained ratio spectra were then mean centered and divided by MC ( $\alpha$ PAR/ $\alpha C E T$ ), the spectrum of $10.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PAR was used. Then, the produced curves were mean centered and divided by MC [MC $(\alpha \operatorname{PSE} / \alpha \mathrm{CET}) / \mathrm{MC}(\alpha \mathrm{PAR} / \alpha \mathrm{CET})]$. The obtained constants were multiplied by the standard normalized spectrum of PSE and the absorbance at 256.0 nm was recorded in the obtained spectra.

For CET The spectra of the mixtures were divided by the normalized spectrum of $10.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1} \operatorname{PAR}(\alpha \operatorname{PAR})$, the obtained ratio spectra were then mean centered and the produced curves were mean centered and divided by MC $[\mathrm{MC}(\alpha \mathrm{CET} / \alpha \mathrm{PAR}) / \mathrm{MC}(\alpha \mathrm{PSE} / \alpha \mathrm{PAR})]$. The obtained constants were multiplied by the standard normalized spectrum of CET ( $\alpha$ CET). The absorbance value was recorded at 230.0 nm in the obtained spectra.
Concentrations representing each drug was computed from their corresponding regression equation. The percentage recoveries, the mean percentage recovery and the standard deviations were calculated.

## Application to pharmaceutical preparation

Ten Allercet Cold ${ }^{\circledR}$ capsules were ground, mixed well and accurately weighed. An amount of the mixed powder equivalent to one capsule was accurately weighed and placed in a beaker; extracted with $3 \times 30 \mathrm{~mL}$ water. The extract was sonicated for 15 min (for each extraction). Filtration was carried out into a $100-\mathrm{mL}$ volumetric flask and completed to volume with the same solvent to obtain a solution (Stock 1) with the following concentrations $4000 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PAR, $300.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PSE and $100.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of CET. Then 1.000 mL from Stock 1 was accurately transferred into a $10-\mathrm{mL}$ volumetric flask and diluted with water to prepare a solution (stock 2 ) with the concentration of $400.0 \mu \mathrm{~g} \mathrm{~m}^{-1}$ of PAR, $30.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ of PSE and $10.00 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ of CET. An aliquot equivalent to 2.500 mL from Stock 2 was accurately transferred into a $100-\mathrm{mL}$ volumetric flask. The solution was then spiked with 5.000 mL PSE and 2.000 mL CET from their corresponding working solutions and completed to volume with water forming a solution composed of $10.00,100.8$ and $2.250 \mu \mathrm{~g} \mathrm{~mL}$-1 of PAR, PSE and CET, respectively. The procedure under "Analysis of laboratory-prepared mixtures" was carried out and the concentration of PAR, PSE and CET were computed from their corresponding regression equation.
The standard addition technique was performed by adding various amounts of pure standard drugs to the pharmaceutical dosage form before continuing the methods described previously.

## Results and discussion

Resolution of multicomponent mixtures which possess overlapping spectra is a challenging concern for analytical chemists. Although, chromatographic methods are usually chosen for the analysis of such mixtures, nevertheless, in the past few years the mathematical spectrophotometric methods have significantly substituted chromatography as they offer some advantages of being rapid, simple to apply, do not need any optimization of conditions, sensitive and cost-effective. Thus, we were
encouraged to develop sensitive spectrophotometric techniques for the determination of PAR, PSE and CET simultaneously in their pure powders and dosage form with acceptable accuracy and precision especially as there are no reported spectrophotometric methods for their analysis.
The spectra of PAR, PSE and CET are severely overlapped as shown in Fig. 2a, therefore direct determination of the three drugs was not possible from measuring the absorption directly from zero order spectra. The proposed methods were successful in determining each component simultaneously without prior separation. They were also found to be simple, precise and reproducible.

## RSDM method

Ratio subtraction coupled with ratio difference (RSDM) is a successive spectrophotometric technique which was successful in the determination of the ternary mixture.
The ${ }^{1} \mathrm{D}$ spectrum of PAR was extended over the ${ }^{1} \mathrm{D}$ spectra of PSE and CET Fig. 2b, so PAR could be directly determined by utilizing the first derivative at 292.4 nm as the spectrum showed maximum absorbance value and no interfering signals from PSE and CET ( $\Delta \lambda=8$ and scaling factor $=10$ ) as shown in Fig. 3 where its concentrations was determined from the computed regression equation. Then the spectrum of PAR was eliminated using RS [13] which could be applied as the spectrum of PAR was extended over the spectra of PSE and CET in their ternary mixture. To analyze PSE and CET in the mixtures, the zero order absorption spectra of the labora-tory-prepared mixtures were divided by the spectrum of standard PAR $\left(20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}\right)$ as a divisor. The obtained ratio spectra represented PSE + CET/PAR + constant. The values of these constants in the plateau region ( $278.0-297.0 \mathrm{~nm}$ ) were subtracted. The obtained spectra


Fig. 3 First order derivative spectra of Paracetamol
were then multiplied by spectrum of the divisor PAR ( $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ). Subsequently, the original spectra of PSE + CET were obtained which were used for their direct determination by utilizing RD.
To determine PSE and CET by the RD method [14] the zero order spectra of different laboratory prepared mixtures were divided by the absorption spectra of standard $600.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PSE and standard $25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ CET to obtain different ratio spectra as demonstrated in Figs. 4 and 5 . Calibration curves were created by plotting the amplitude difference at 257.0 and 230.0 nm for PSE and the amplitude difference at 228.0 and 257.0 nm for CET versus their corresponding concentrations and the regression equations were calculated. The only requirement for the selection of these two wavelengths is the contribution of the two components at these two selected


Fig. 4 Ratio spectra of PSE using $25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ CET as divisor


Fig. 5 Ratio spectra of CET using $600.0 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PSE as divisor
wavelengths where the ratio spectrum of the interfering component showed the same value (constant) whereas the component of interest shows a significant difference in these two ratio values at these two selected wavelengths [7].

## DRZC method

Nevado et al. [15], invented this method to resolve ternary mixtures. The method depends on the measurement of the amplitudes of the components of the mixture at the zero-crossing points in the derivative spectrum of the ratio spectra.
PAR was determined as under "RSDM method". Then, the spectra of the laboratory prepared mixtures were divided by the spectrum of standard PAR $20.00 \mu \mathrm{~g} \mathrm{~mL}$ as a divisor to obtain the corresponding ratio spectra. Both the first derivative and third derivative of these ratio spectra were calculated. The concentration of PSE was proportional to the first order amplitudes at 252.0 nm (zero-crossing point for CET) as demonstrated in Fig. 6, while, the concentration of CET was proportional to the third order amplitudes at 237.0 nm (zero-crossing point of PSE) as shown in Fig. 7. The different concentrations of PSE and CET were determined from the computed regression equations.

## SDR method

Afkhami and Bahram [16] have proposed the SDR technique for the quantitation of ternary mixtures without prior separation. This method depends on successive steps; first the derivative of ratio spectra is calculated, and then these derivative ratio spectra are divided by the derivative ratio spectra of a divisor of the other two components. Finally, the derivative is computed for those obtained ratio spectra.


Fig. 6 First derivative ratio spectra of PSE and CET using PAR ( $20.00 \mu_{\mathrm{g} \mathrm{mL}^{-1}}$ ) as divisor


Fig. 7 Third derivative ratio spectra of CET and PSE using PAR ( $20.00 \mathrm{\mu g} \mathrm{~mL}^{-1}$ ) as divisor


Fig. 8 The vectors of the first derivative of the second ratio spectra for PAR in water

For the determination of PAR and PSE; the absorption spectra of the laboratory prepared mixtures were divided by the spectrum of $25.00 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ of CET and the first derivative was calculated for the ratio spectra (V1). For PAR, the vectors (V1) were divided by the ${ }^{1} \mathrm{D}$ spectrum of $600.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1} \mathrm{PSE} / 25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ CET, thus the second ratio spectra were obtained (V2). Finally, the first derivative was calculated for these vectors (V2) where the concentration of PAR was determined at the maximum amplitude at 310.2 nm as illustrated in Fig. 8. For PSE, the vectors (V1) were divided by the $\mathrm{D}^{1}$ spectrum of $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PAR/25.00 $\mu \mathrm{g} \mathrm{mL}{ }^{-1}$ CET, where the second ratio spectra were obtained (V3). First derivative was calculated for these vectors (V3) and the concentration of PSE was determined by measuring the maximum amplitude at 257.0 nm as demonstrated in Fig. 9. To determine CET, the absorption spectra of the laboratory prepared mixtures were divided by the spectrum of $600.0 \mu \mathrm{~g} \mathrm{~mL}$ PSE followed by calculating the first derivative for these ratio spectra. The obtained derivative of ratio spectra


Fig. 9 The vectors of the first derivative of the second ratio spectra for PSE in water


Fig. 10 The vectors of the first derivative of the second ratio spectra for CET in water
were then divided by ${ }^{1} \mathrm{D}$ spectrum of $20.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ PAR/ $600.0 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ PSE, thus, the second ratio spectra were obtained. Finally, the concentration of CET was determined by measuring the maximum amplitude at 242.4 nm as shown in Fig. 10. According to Afkhami and Bahram [16], there are no limitations regarding the selection of wavelengths for the construction of the calibration graphs therefore the wavelengths used were selected after trying several others and the selected ones demonstrated the best regression parameters.
For all the proposed methods; the chosen divisor to settle between the lowest noise level and highest sensitivity and obtain optimal findings regarding average recovery percent for the analysis of laboratory prepared mixtures were analyzed. To refine $D^{1}$ method, many smoothing
and scaling factors were tried, where a smoothing $\Delta \lambda=8$ and a scaling factor $=10$ demonstrated acceptable signal to noise ratio and good resolution of spectra.

## PCCA method

The UV absorption spectra of PAR, PSE and CET, Fig. 2a showed sever overlapping as a result the determination of the proposed drugs using conventional spectrophotometric methods was not possible. An algorithm able to resolve and extract the pure component contribution from their mixture signal without any special requirements was applied. The PCCA method is characterized by its varying applications, as it has no limitations, as opposed to other methods which require the extention of one spectrum over the others or the presence of zerocrossing or isoabsorptive points. The method is based on obtaining the pure component from its mixture and its determination at its $\lambda_{\max }$ providing maximum sensitivity, accuracy and precision results. For quantifying PAR in lab prepared ternary mixtures and dosage forms; the spectra of the mixtures, Fig. 11 were divided by the normalized spectrum of CET ( $\alpha$ CET), the obtained ratio spectra were then mean centered and divided by MC $(\alpha \mathrm{PSE} / \alpha \mathrm{CET})$. Mean centering was applied on the produced curves then divided by MC [MC ( $\alpha \mathrm{PAR} / \alpha \mathrm{CET}$ )/ $\mathrm{MC}(\alpha \mathrm{PSE} / \alpha \mathrm{CET})]$. Constants which represent the concentration of PAR in the mixtures were obtained. At the final step, the constants were multiplied by the standard normalized spectrum of PAR ( $\alpha$ PAR) and the pure contribution of PAR in each mixture was obtained, Fig. 12. The estimated absorbance value of each of the obtained spectra at 245.0 nm was used for determining the concentration of PAR from the regression equation of PAR standard solutions.


Fig. 11 The spectra of laboratory prepared mixtures of paracetamol, pseudoephedrine hydrochloride and cetirizine dihydrochloride


Fig. 12 The pure contribution of paracetamol in the prepared mixtures

Following the procedure previously stated, PSE was determined in synthetic mixtures and dosage forms; the spectra of the mixtures were divided by the normalized


Fig. 13 The pure contribution of pseudoephedrine hydrochloride in the prepared mixtures


Fig. 14 The pure contribution of cetirizine dihydrochloride in the prepared mixtures
Table 1 Regression and validation parameters of the proposed spectrophotometric methods for the determination of PAR, PSE and CET

| Parameters | RSDM method |  |  | SDR method |  |  | DRZC method |  |  | PCCA method |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | PAR | PSE | CET | PAR | PSE | CET | PAR | PSE | CET | PAR | PSE | CET |
| Linearity range ( $\mu \mathrm{g} \mathrm{mL}^{-1}$ ) | 2.500-25.00 | 100.0-1100 | 2.000-50.00 | 2.500-25.00 | 100.0-1200 | 2.000-45.00 | 2.500-25.00 | 100.0-1200 | 2.000-45.00 | 2.500-25.00 | 100.0-900.0 | 5.000-50.00 |
| Slope | $5.500 \times 10^{-3}$ | $1.740 \times 10^{-2}$ | $5.620 \times 10^{-1}$ | $2.930 \times 10^{-1}$ | $2.860 \times 10^{-2}$ | $4.600 \times 10^{-1}$ | $5.500 \times 10^{-3}$ | $1.100 \times 10^{-3}$ | $2.610 \times 10^{-2}$ | $6.160 \times 10^{-2}$ | $9.000 \times 10^{-4}$ | $3.140 \times 10^{-2}$ |
| Intercept | $1.100 \times 10^{-3}$ | $2.130 \times 10^{-1}$ | $2.560 \times 10^{-1}$ | $2.930 \times 10^{-1}$ | $1.630 \times 10^{-2}$ | $1.560 \times 10^{-1}$ | $7.000 \times 10^{-4}$ | $2.200 \times 10^{-3}$ | $9.000 \times 10^{-4}$ | $6.000 \times 10^{-3}$ | $6.100 \times 10^{-3}$ | $7.900 \times 10^{-3}$ |
| SE of slope | $1.210 \times 10^{-5}$ | $8.140 \times 10^{-5}$ | $3.060 \times 10^{-3}$ | $1.100 \times 10^{-1}$ | $1.680 \times 10^{-4}$ | $1.650 \times 10^{-3}$ | $3.030 \times 10^{-5}$ | $7.150 \times 10^{-6}$ | $8.660 \times 10^{-5}$ | $6.850 \times 10^{-4}$ | $4.270 \times 10^{-6}$ | $5.310 \times 10^{-5}$ |
| SE of intercept | $2.040 \times 10^{-4}$ | $5.620 \times 10^{-2}$ | $9.270 \times 10^{-2}$ | 1.740 | $1.300 \times 10^{-1}$ | $4.770 \times 10^{-2}$ | $4.980 \times 10^{-4}$ | $5.430 \times 10^{-3}$ | $2.730 \times 10^{-3}$ | $1.040 \times 10^{-2}$ | $2.69 \times 10^{-3}$ | $1.70 \times 10^{-3}$ |
| Correlation coefficient (r) | 1.000 | 1.000 | 1.000 | 1.0000 | 1.000 | 1.0000 | 1.000 | 1.000 | 1.000 | 1.000 | 1.000 | 1.000 |
| Accuracy $(\mathrm{n}=6)$ $\text { mean } \pm S D$ | $100.4 \pm 0.8000$ | $99.40 \pm 0.3900$ | $100.1 \pm 0.8700$ | $99.57 \pm 1.090$ | $99.88 \pm 1.280$ | $100.2 \pm 0.7100$ | $100.9 \pm 0.7100$ | $99.68 \pm 1.090$ | $100.1 \pm 0.6300$ | $100.7 \pm 1.529$ | $98.82 \pm 0.5310$ | $100.4 \pm 0.3980$ |
| Precision $(\mathrm{n}=3 \times 3)$ <br> (RSD \%) ${ }^{\text {a }}$ <br> Repeatability intermediate precision | $\begin{aligned} & 0.07800 \\ & 1.220 \end{aligned}$ | $\begin{aligned} & 0.05280 \\ & 1.010 \end{aligned}$ | $\begin{aligned} & 0.07700 \\ & 1.230 \end{aligned}$ | $\begin{aligned} & 0.5280 \\ & 0.9050 \end{aligned}$ | $\begin{aligned} & 0.09100 \\ & 0.8370 \end{aligned}$ | $\begin{aligned} & 0.1550 \\ & 1.300 \end{aligned}$ | $\begin{aligned} & 0.07800 \\ & 1.220 \end{aligned}$ | $\begin{aligned} & 0.2250 \\ & 0.4290 \end{aligned}$ | $\begin{aligned} & 0.2200 \\ & 0.5200 \end{aligned}$ | $\begin{aligned} & 0.1560 \\ & 0.8810 \end{aligned}$ | $\begin{aligned} & 0.2260 \\ & 0.9970 \end{aligned}$ | $\begin{aligned} & 0.1140 \\ & 0.8000 \end{aligned}$ |
| LOD ${ }^{\text {b }}$ | 0.1520 | 12.91 | 0.6570 | 0.2850 | 17.42 | 0.4470 | 0.3760 | 23.13 | 0.3690 | 0.6430 | 9.900 | 0.2210 |
| LOQ ${ }^{\text {b }}$ | 0.4610 | 39.11 | 1.990 | 0.8640 | 52.78 | 1.350 | 1.140 | 70.08 | 1.120 | 1.948 | 30.00 | 0.6690 |

${ }^{\text {a }}$ Relative standard deviations (RSD) of three concentrations, the concentrations were as follows: PAR ( $5.000,10.00,25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ), PSE ( $100.0,600.0,1000 ~ \mu \mathrm{gLL}{ }^{-1}$ ) and CET ( $5.000,15.00,35.00 ~ \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ) ${ }^{\text {b }}$ LOD $=3.3 \times$ Standard deviation of residuals/slope; LOQ $=10 \times$ Standard deviation of residuals/slope

Table 2 Analysis of laboratory prepared mixtures by the proposed spectrophotometric methods

|  | RSDM method | DRZC method | SDR method | PCCA method |
| :--- | :--- | :--- | :--- | :--- |
| PAR $^{\text {a }}$ (Mean $\pm$ SD $)$ | $100.7 \pm 1.890$ | $101.9 \pm 1.060$ | $101.8 \pm 0.8600$ | $100.4 \pm 1.390$ |
| PSE $^{a}($ Mean $\pm$ SD $)$ | $99.69 \pm 0.8400$ | $99.59 \pm 1.010$ | $99.04 \pm 1.200$ | $98.76 \pm 0.6800$ |
| CET $^{\text {(Mean } \pm \text { SD })}$ | $99.38 \pm 1.550$ | $100.2 \pm 0.6300$ | $98.95 \pm 1.300$ | $100.4 \pm 1.980$ |

${ }^{\text {a }}$ Average of 6 experiments
spectrum of CET ( $\alpha$ CET), and the obtained ratio spectra were then mean centered and divided by MC ( $\alpha$ PAR/ $\alpha$ CET). Then, the produced curves were mean centered and divided by MC [MC ( $\alpha$ PSE/ $\alpha \mathrm{CET}$ )/MC ( $\alpha \mathrm{PAR} /$ $\alpha$ CET $)$ ]. Constants which represent the concentration of PSE in the mixtures were obtained. Lastly, the resulting constants were multiplied by the standard spectrum of PSE ( $\alpha$ PSE) and the pure contribution of PSE in each mixture was obtained, Fig. 13. The estimated absorbance value of each of the obtained spectra at 256.0 nm was used for calculating the concentration of PSE from the previously calculated regression equation of PSE.
Finally, for the determination of the concentration of CET in synthetic mixtures and dosage form samples; the spectra of the mixtures were divided by the normalized spectrum of PAR ( $\alpha \mathrm{PAR}$ ), the obtained ratio spectra were then mean centered and divided by MC ( $\alpha$ PSE/ $\alpha$ PAR). Then, the produced curves were mean centered and divided by MC $[\mathrm{MC}(\alpha \mathrm{CET} / \alpha \mathrm{PAR}) / \mathrm{MC}(\alpha \mathrm{PSE} / \alpha \mathrm{PAR})]$. Constants which represent the concentration of CET in the mixtures were obtained. The obtained constants were multiplied by the standard spectrum of CET ( $\alpha$ CET) and the pure contribution of CET in each mixture was obtained, Fig. 14. The estimated absorbance value of each of the obtained spectra at 230.0 nm was used for calculating the concentration of CET from the previously calculated regression equation of CET standard solutions.
The contribution of each of PAR, PSE and CET were resolved and their contribution in each mixture was extracted, from which the absorbance values of the components were determined at their $\lambda_{\max }$ which are associated with maximum sensitivity, highest accuracy and precision and lowest error.

## Method validation

Validation according to ICH guidelines were applied for the suggested methods [18] where good results were obtained.

## Range and linearity

The calibration curves of the different proposed methods were handled on three different days in order to evaluate the linearity. The analytical data of the calibration graph were demonstrated in Table 1.

## Limits of detection (LOD) and quantification (LOQ)

The LOD and LOQ were calculated (Table 1) for the studied drugs using the proposed techniques according to the following equations:

$$
\begin{aligned}
& \mathrm{LOD}=3.3 * \mathrm{SD} \text { of residuals/Slope } \\
& \mathrm{LOQ}=10 * \mathrm{SD} \text { of residuals/Slope }
\end{aligned}
$$

## Accuracy

The proposed methods were utilized for the analysis of different solutions of PAR, PSE and CET in order to validate the accuracy. The concentrations were deduced from the corresponding regression equations, then the percentage recoveries and standard deviation were calculated. The results demonstrated in Table 1 have assured the accuracy of all methods.

## Repeatability and intermediate precision

Three concentrations of PAR (5.000, 10.00, $25.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ), PSE (100.0, 600.0, $1000 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ) and CET (5.000, $15.00,35.00 \mu \mathrm{~g} \mathrm{~mL}{ }^{-1}$ ) were analyzed three times intra-daily and inter-daily (on three different days) using the proposed spectrophotometric methods. The relative standard deviations were calculated proving the precision of the methods (Table 1).

## Selectivity

The methods' selectivity was accomplished by analyzing different laboratory prepared mixtures with varying concentrations of the three drugs within the linearity range. Acceptable results were illustrated in Table 2.

Application of the proposed methods in Allercet ${ }^{\circledR}$ capsules The suggested procedures were used for the determination of PAR, PSE and CET in Allercet cold ${ }^{\circledR}$ capsules. The obtained recovery and standard deviation have established the absence of interference from the excipients. Standard addition technique was also applied to further assure the validity of the proposed methods as demonstrated in Table 3.
Table 3 Application of standard addition technique to the analysis of PAR, PSE and CET in Allercet Cold ${ }^{\circledR}$ capsules using the proposed spectrophotometric methods

| Drug | RSDM method |  |  | SDR method |  |  | DRZC method |  |  | PCCA method |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Claimed amount taken | Added | Recovery \% ${ }^{\text {a,b }}$ | Claimed amount taken | Added | Recovery \% ${ }^{\text {a,b }}$ | Claimed amount taken | Added | Recovery \% ${ }^{\text {a, }}$ b | Claimed amount taken | Added | Recovery \% ${ }^{\text {a, }}$ b |
| PAR | $10.00\left(\mu \mathrm{~g} \mathrm{~mL}^{-1}\right)$ | 5.000 | 104.6 | $10.00\left(\mu \mathrm{gmL}{ }^{-1}\right)$ | 5.000 | 105.9 | $10.00\left(\mu \mathrm{~g} \mathrm{~mL}^{-1}\right)$ | 5.000 | 101.1 | $10.00\left(\mu \mathrm{mLL}^{-1}\right)$ | 5.000 | 103.1 |
|  |  | 10.00 | 104.0 |  | 10.00 | 104.9 |  | 10.00 | 100.8 |  | 10.00 | 103.8 |
|  |  | 15.00 | 105.1 |  | 15.00 | 105.3 |  | 15.00 | 101.2 |  | 15.00 | 102.3 |
|  | Mean $\pm$ SD |  | $104.6 \pm 0.5210$ | Mean $\pm$ SD |  | $105.4 \pm 0.5490$ | Mean $\pm$ SD |  | $101.0 \pm 0.2330$ | Mean $\pm$ SD |  | $103.1 \pm 0.7360$ |
| PSE | $100.75\left(\mu \mathrm{mLL}^{-1}\right)^{*}$ | 50.00 | 104.0 | $100.8\left(\mu \mathrm{~g} \mathrm{~mL}^{-1}\right)$ | 50.00 | 105.6 | $100.8\left(\mu \mathrm{~g} \mathrm{~mL}^{-1}\right)$ | 50.00 | 104.1 | $100.8\left(\mu \mathrm{~g} \mathrm{~mL}^{-1}\right)$ |  | 102.9 |
|  |  | 100.0 | 103.2 |  | 100.0 | 104.3 |  | 100.0 | 105.0 |  | 100.0 | 102.8 |
|  |  | 200.0 | 103.2 |  | 200.0 | 105.0 |  | 200.0 | 104.9 |  | 200.0 | 102.4 |
|  | Mean $\pm$ SD |  | $103.5 \pm 0.4780$ | Mean $\pm$ SD |  | $105.0 \pm 0.6500$ | Mean $\pm$ SD |  | $104.6 \pm 0.5030$ | Mean $\pm$ SD |  |  |
| CET | $2.250\left(\mu \mathrm{~m} \mathrm{~mL}^{-1}\right)^{*}$ | 2.000 | 105.7 | $2.250\left(\mu \mathrm{~g} \mathrm{~mL}^{-1}\right)$ | 2.000 | 105.9 | $2.250\left(\mu \mathrm{~mL}^{-1}\right)$ | 2.000 | 103.8 | $2.250\left(\mu \mathrm{mLL}^{-1}\right)$ | $\begin{array}{ll}  & 102.7 \pm 0.2310 \\ 2.000 & 101.9 \end{array}$ |  |
|  |  | 2.500 | 104.5 |  | 2.500 | 104.5 |  | 2.500 | 102.9 |  | 2.500 | 101.0 |
|  |  | 10.00 | 105.6 |  | 10.00 | 104.0 |  | 10.00 | 102.8 |  | 10.00 | 101.1 |
|  | Mean $\pm$ SD |  | $105.3 \pm 0.6970$ | $\text { Mean } \pm \text { SD }$ |  | $104.8 \pm 1.018$ | $M e a n \pm S D$ |  | $103.2 \pm 0.5460$ | $M e a n \pm S D$ |  | $101.3 \pm 0.4800$ |

* Amount spiked was $100.00 \mu \mathrm{~g} \mathrm{~mL}^{-1}$ for PSE and $2.00 \mathrm{\mu g} \mathrm{~mL}^{-1}$ for CET
${ }^{\text {a }}$ Average of three experiments
${ }^{\text {b }}$ Recovery of the claimed amount taken
Table 4 Statistical comparison of the results obtained by the proposed spectrophotometric methods and reference method for the determination of PAR, PSE and CET

| Parameter | PAR |  |  |  |  | PSE |  |  |  |  | CET |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | RSDM | SDR | DRZC | PCCA | Reference method | RSDM | SDR | DRZC | PCCA | Reference method | RSDM | SDR | DRZC | PCCA | Reference method |
| Mean | 99.72 | 100.1 | 99.80 | 100.7 | 99.40 | 100.3 | 100.2 | 99.39 | 99.92 | 100.1 | 100.1 | 99.82 | 99.97 | 100.1 | 100.0 |
| SD | 0.5870 | 0.6200 | 0.9230 | 1.384 | 0.7780 | 0.8050 | 0.7310 | 1.130 | 1.110 | 0.4270 | 0.5720 | 0.5290 | 0.4290 | 0.5390 | 0.2340 |
| N | 6 | 6 | 6 | 6 | 4 | 6 | 6 | 7 | 6 | 4 | 6 | 6 | 6 | 6 | 4 |
| Variance | 0.3450 | 0.3840 | 0.8520 | 1.915 | 0.6050 | 0.6480 | 0.5340 | 1.277 | 1.232 | 0.1820 | 0.3270 | 0.2800 | 0.1840 | 0.2910 | 0.05500 |
| Student's t | $\begin{aligned} & 0.7570 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 1.540 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 0.7130 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 1.660 \\ & (2.310) \end{aligned}$ |  | $\begin{aligned} & 0.3310 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 0.9290 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 1.200 \\ & (2.260) \end{aligned}$ | $\begin{aligned} & 2.070 \\ & (2.310) \end{aligned}$ |  | $\begin{aligned} & 0.2380 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 0.6830 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 0.2100 \\ & (2.310) \end{aligned}$ | $\begin{aligned} & 0.1290 \\ & (2.310) \end{aligned}$ |  |
| F | $\begin{aligned} & 1.760 \\ & (5.410) \end{aligned}$ | $\begin{aligned} & 1.580 \\ & (5.410) \end{aligned}$ | $\begin{aligned} & 1.410 \\ & (9.010) \end{aligned}$ | $\begin{aligned} & 3.170 \\ & (9.010) \end{aligned}$ |  | $\begin{aligned} & 3.560 \\ & (9.010) \end{aligned}$ | $\begin{aligned} & 2.930 \\ & (9.010) \end{aligned}$ | $\begin{aligned} & 7.020 \\ & (8.940) \end{aligned}$ | $\begin{aligned} & 6.770 \\ & (9.010) \end{aligned}$ |  | $\begin{aligned} & 5.950 \\ & (9.010) \end{aligned}$ | $\begin{aligned} & 5.090 \\ & (9.010) \end{aligned}$ | $\begin{aligned} & 3.350 \\ & (9.010) \end{aligned}$ | $\begin{aligned} & 5.280 \\ & (9.010) \end{aligned}$ |  |

[^1]The reported method is an HPLC method using C18 column, a mobile phase composed of 25 mM phosphate buffer ( $\mathrm{pH}=5$ ): methanol: acetonitrile ( $30: 60: 10, \mathrm{~V} / \mathrm{V} / \mathrm{V}$ )

## Statistical analysis

The results of the analysis of the pure drugs obtained from the proposed methods were compared to those obtained by applying the reference method [10] where no significant difference was observed from the calculated tand F values, Table 4.

## Conclusion

The introduced study has demonstrated the application of simple and accurate mathematical based spectrophotometric methods for the analysis of the ternary mixture; paracetamol, pseudoephedrine and cetirizine in bulk and in Allercet Cold ${ }^{\circledR}$ capsules the available dosage form in the Egyptian market. These methods have neither required any chemical pretreatment for the analyte nor demanded the availability of a complicated or advanced instrument. Moreover, these methods have employed the use of water as a solvent, thus, they could be considered as eco-friendly methods of analysis. The privileges of each method as well as the essential conditions for applying each method were discussed. All the developed methods were completely validated in accordance to the ICH guidelines proving their accuracy and precision. Furthermore, the selectivity of the methods was proved through the analysis of both laboratory prepared mixtures of the analytes as well as the dosage form were the commonly used excipients or additives have not interfered in the analysis as demonstrated from the consistency of the obtained results. Finally, the simplicity and accuracy of the developed methods could allow their effective utilization in the routine analysis of the investigated analytes in quality control laboratories.

## Abbreviations

CET: cetirizine dihydrochloride; DRZC: derivative ratio-zero crossing method; HPLC-UV: high performance liquid chromatography-ultra violet detection; PAR: paracetamol; PCCA: pure component contribution algorithm; PSE: pseudoephedrine hydrochloride; RSDM: ratio subtraction-ratio difference method; SDR: successive derivative ratio.

## Authors' contributions

SHY: lab work. Computational manipulations of spectra and calculation of results. Writing of the manuscript. MAMH: development of algorithm used in analysis of the mixture. Revising the manuscript. DM: writing the manuscript. Applying SDR and RSDM methods to the mixture. AMB: revising the manuscript. Recalculating all the results to ensure accuracy. All authors read and approved the final manuscript.

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The authors declare that they have no competing interests.

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[^1]:    Figures between parentheses represent the corresponding tabulated values of t and F at $\mathrm{P}=0.05$

